

# Changes in tropospheric NO<sub>2</sub> over megacities: A multi-instrument approach

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# Nitrogen dioxide ( $\text{NO}_2$ )

## Why study $\text{NO}_2$ ?

- ▶ harmful to human respiratory system
- ▶  $\text{O}_3$  precursor
- ▶ leads to acid rain precipitation
- ▶ in a megacity setting: almost purely anthropogenic sources

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- ▶ Strong absorption + concentrations  $\rightarrow$  good signal-to-noise
- ▶ Short lifetime  $\rightarrow$  observation close to source
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# Instrumental differences

Tropospheric NO<sub>2</sub> is available from five instruments:

- ▶ GOME
- ▶ SCIAMACHY
- ▶ OMI
- ▶ GOME-2 on Metop-A & Metop-B

The instruments differ in

- ▶ available time period
- ▶ # meas. / location / month
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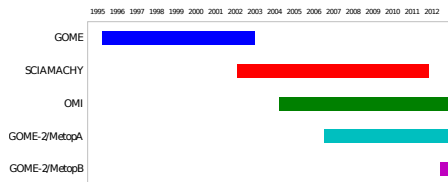
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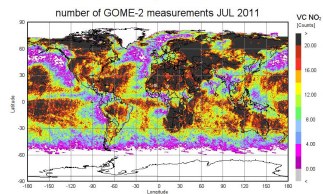
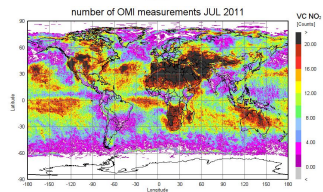
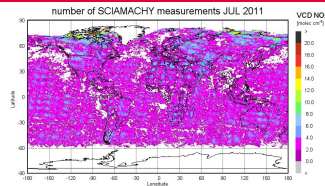
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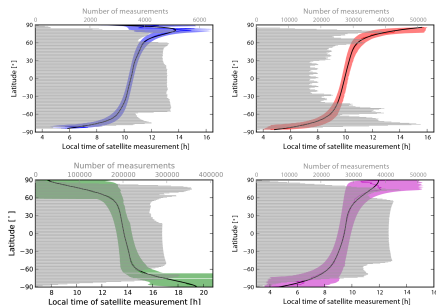
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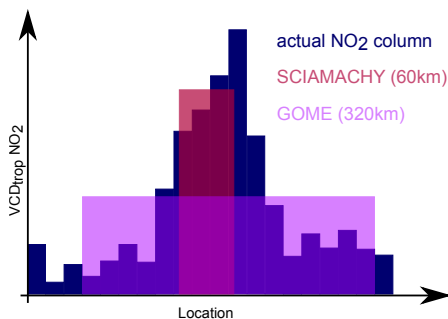
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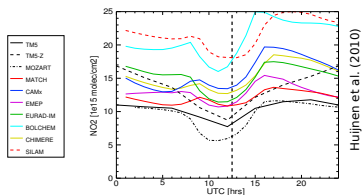
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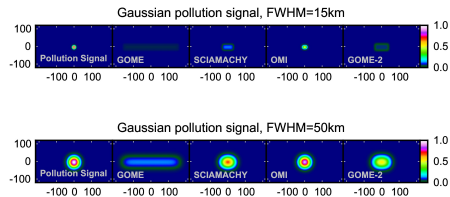
⇒ **All this influences the retrieved timeseries!** ⇐

# Influence on the retrieved data

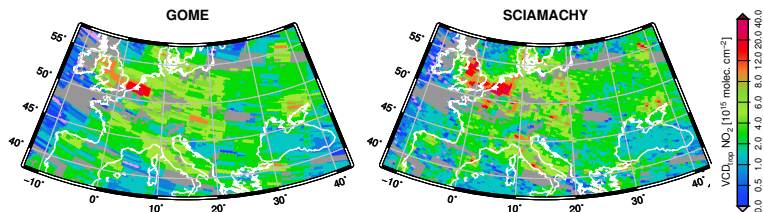
## Measurement time



## Spatial resolution

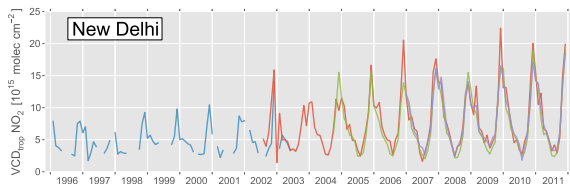


## Combined effect



# Influence on timeseries

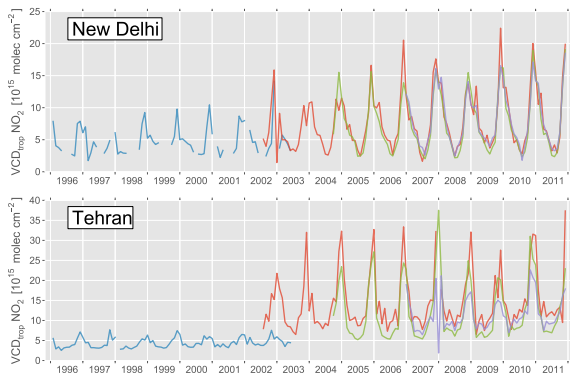
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- ▶ GOME values lower
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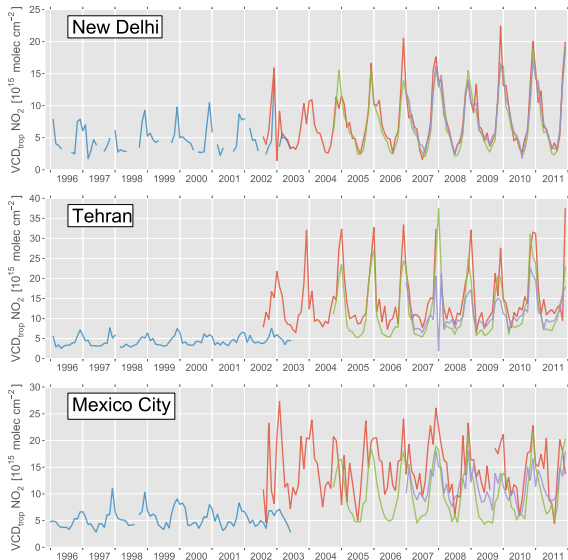
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# Possible solutions

**easy:** artificially reduce spatial resolution → not optimal for megacities

# Possible solutions

## Calculate correction factors (for GOME ↔ SCIAMACHY):

- ▶ average five adjacent SCIAMACHY pixels
- ▶ calculate correction factor climatology ( $t' = 2003/01, \dots, 2011/12$ )

$$\Gamma'(t', \vartheta, \varphi) = \frac{VCD^{SCIA}(t', \vartheta, \varphi)}{VCD_{red.res.}^{SCIA}(t', \vartheta, \varphi)}$$

- ▶ apply correction factors to yield resolution-corrected  $VCD_{corr}^{GOME}(t', \vartheta, \varphi) = \Gamma(t', \vartheta, \varphi) \times VCD^{GOME}(t', \vartheta, \varphi)$
- ▶ often works quite well:

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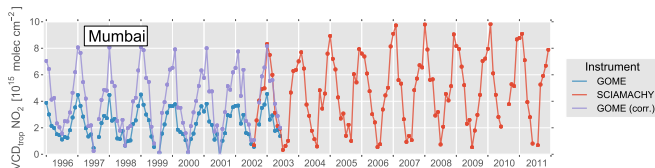
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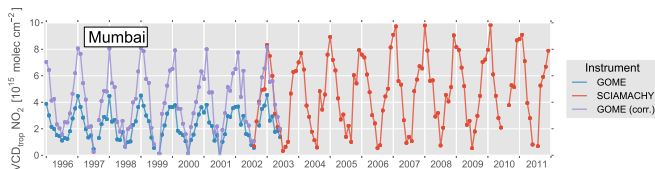
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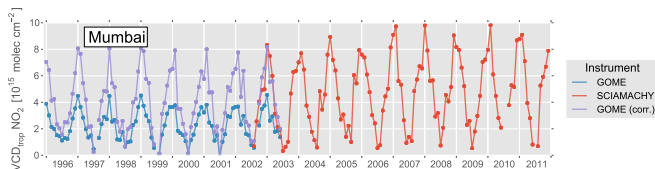
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# Including instrumental differences in the trend model

## Determine annual growth rates by fitting a trend model:

- ▶ One linear growth rate spanning all instruments  $i$
- ▶ One reference value (offset) per instrument
- ▶ One harmonic seasonality component spanning all instruments,
- ▶ ... with instrument-dependent amplitude.

$$X_{trend}(t, i) = N(t, i)$$

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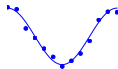
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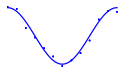
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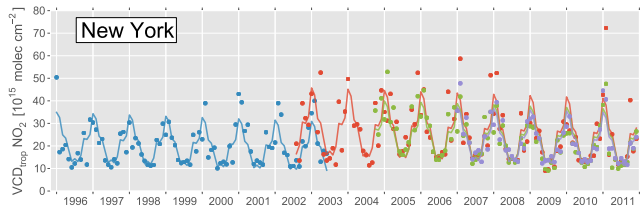


measured monthly averages



fitted trend function

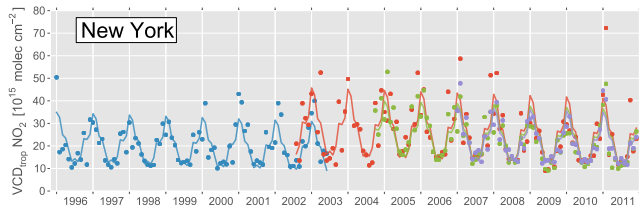
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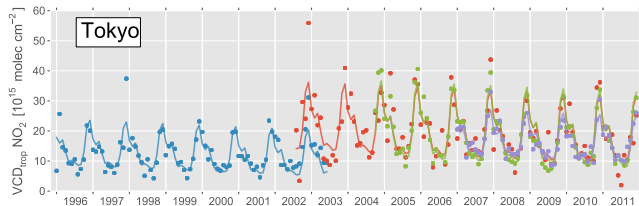
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GOME ↔ S/O/G2
- ▶ almost constant,  
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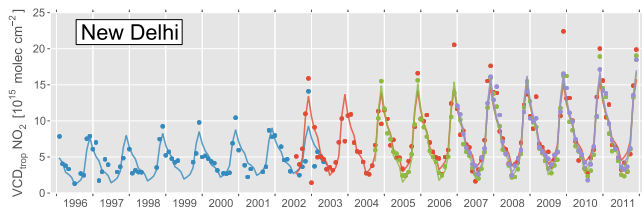


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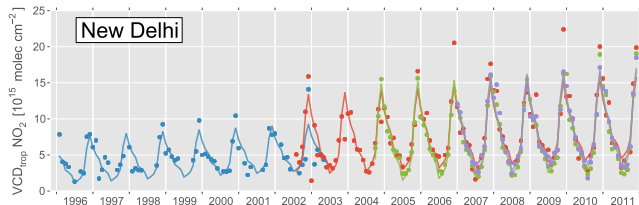
- ▶  $-3.77 \pm 0.97 \text{ \% yr}^{-1}$
- ▶ very low summer values in 2011/SCIA

# Example II: Megacities in the developing world

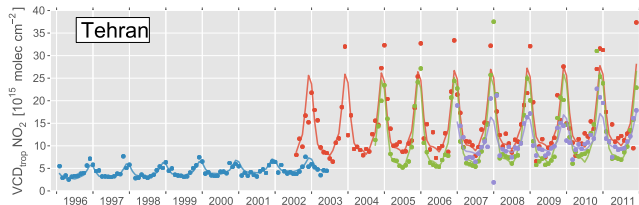


- ▶  $+7.4 \pm 1.7 \text{ \% yr}^{-1}$
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- ▶ strong increase in seasonality (not accounted for)

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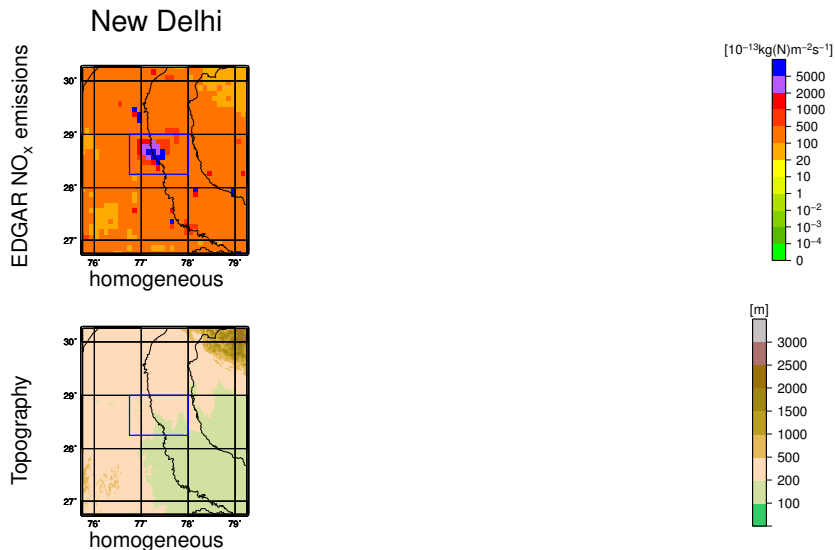


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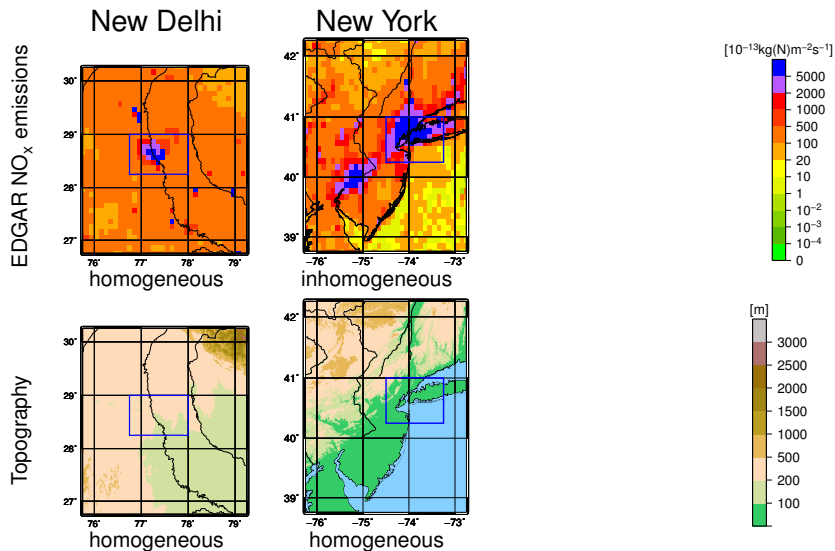


- ▶  $+7.8 \pm 2.7 \text{ \% yr}^{-1}$
- ▶ strong dependence on instrument
- ▶ strongly varying seasonality

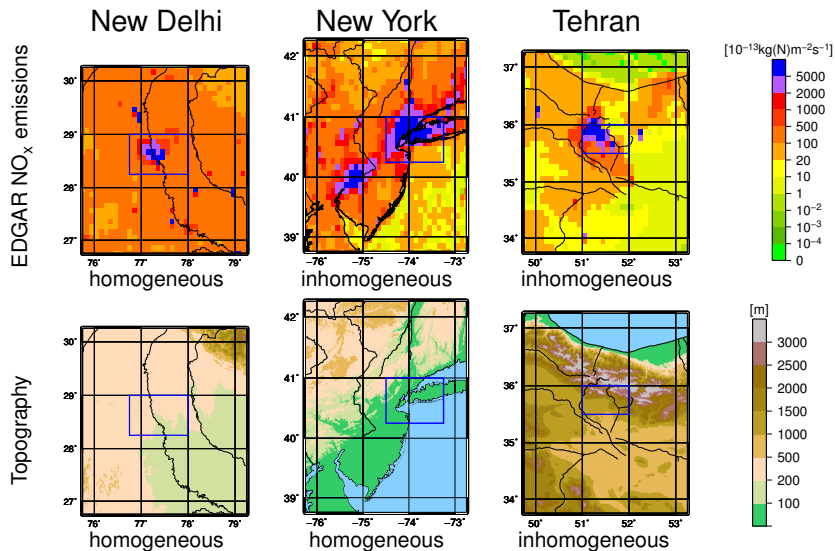
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# Impact of spatial heterogeneity

- ▶ Homogeneous, high-emission areas with no topographic boundaries  
→ instrument resolution has negligible impact
- ▶ Areas with inhomogeneous, partly high emissions and no topographic boundaries:  $\text{NO}_2$  pollution can spread  
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- ▶ Emission point sources with topographic barriers (e.g. mountains):  $\text{NO}_2$  cannot spread throughout the whole area  
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# Results: annual trends

City	relative (%)	absolute ( $\times 10^{14}$ )
Baghdad	<b>+18.0<math>\pm</math>2.1</b>	<b>+3.24<math>\pm</math>0.37</b>
Beijing	<b>+7.3<math>\pm</math>2.2</b>	<b>+9.5<math>\pm</math>2.9</b>
Buenos Aires	+1.7 $\pm$ 1.6	+0.55 $\pm$ 0.51
Cairo	<b>+6.4<math>\pm</math>1.0</b>	<b>+1.73<math>\pm</math>0.28</b>
Dhaka	<b>+24.0<math>\pm</math>3.8</b>	<b>+3.41<math>\pm</math>0.54</b>
Los Angeles	<b>-5.8<math>\pm</math>1.2</b>	<b>-13.2<math>\pm</math>2.6</b>
Mexico City	+1.0 $\pm$ 1.6	+0.51 $\pm$ 0.82
Mumbai	<b>+3.6<math>\pm</math>1.1</b>	<b>+0.70<math>\pm</math>0.21</b>
New Delhi	<b>+7.4<math>\pm</math>1.7</b>	<b>+2.57<math>\pm</math>0.60</b>
New York	<b>-2.6<math>\pm</math>1.0</b>	<b>-5.7<math>\pm</math>2.3</b>
Seoul	+0.7 $\pm$ 1.2	+1.0 $\pm$ 1.8
Tehran	<b>+7.8<math>\pm</math>2.7</b>	<b>+2.68<math>\pm</math>0.93</b>
Tokyo	<b>-3.77<math>\pm</math>0.97</b>	<b>-5.4<math>\pm</math>1.4</b>

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City	relative (%)	absolute ( $\times 10^{14}$ )	Schneider et al. ( $\times 10^{14}$ )
Baghdad	<b>+18.0<math>\pm</math>2.1</b>	<b>+3.24<math>\pm</math>0.37</b>	<b>+4.8<math>\pm</math>0.8</b>
Beijing	<b>+7.3<math>\pm</math>2.2</b>	<b>+9.5<math>\pm</math>2.9</b>	<b>+8.6<math>\pm</math>3.9</b>
Buenos Aires	+1.7 $\pm$ 1.6	+0.55 $\pm$ 0.51	<b>+2.0<math>\pm</math>1.0</b>
Cairo	<b>+6.4<math>\pm</math>1.0</b>	<b>+1.73<math>\pm</math>0.28</b>	<b>+3.3<math>\pm</math>1.1</b>
Dhaka	<b>+24.0<math>\pm</math>3.8</b>	<b>+3.41<math>\pm</math>0.54</b>	<b>+4.5<math>\pm</math>0.8</b>
Los Angeles	<b>-5.8<math>\pm</math>1.2</b>	<b>-13.2<math>\pm</math>2.6</b>	<b>-9.6<math>\pm</math>2.6</b>
Mexico City	+1.0 $\pm$ 1.6	+0.51 $\pm$ 0.82	-2.9 $\pm$ 1.9
Mumbai	<b>+3.6<math>\pm</math>1.1</b>	<b>+0.70<math>\pm</math>0.21</b>	<b>+1.4<math>\pm</math>0.8</b>
New Delhi	<b>+7.4<math>\pm</math>1.7</b>	<b>+2.57<math>\pm</math>0.60</b>	<b>+2.0<math>\pm</math>1.1</b>
New York	<b>-2.6<math>\pm</math>1.0</b>	<b>-5.7<math>\pm</math>2.3</b>	<b>-9.8<math>\pm</math>2.4</b>
Seoul	+0.7 $\pm$ 1.2	+1.0 $\pm$ 1.8	<b>-6.7<math>\pm</math>3.0</b>
Tehran	<b>+7.8<math>\pm</math>2.7</b>	<b>+2.68<math>\pm</math>0.93</b>	<b>+2.3<math>\pm</math>1.3</b>
Tokyo	<b>-3.77<math>\pm</math>0.97</b>	<b>-5.4<math>\pm</math>1.4</b>	<b>-12.3<math>\pm</math>2.7</b>

# Non-linear changes

- ▶ Timeseries are long enough to show varying change rate

## Possible solutions:

- ▶ piece-wise linear trends (Russell et al.)
- ▶ Break-point regression (break-points determined by regression, not by a-priori)
- ▶ Non-parametric analysis, e.g. STL/LOESS

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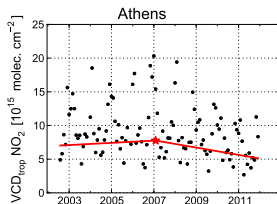
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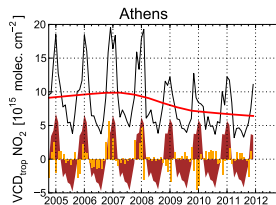
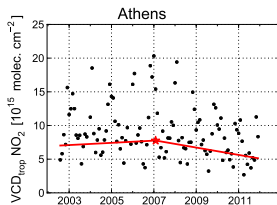


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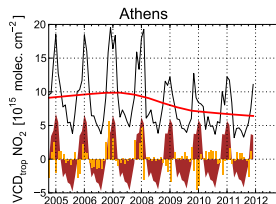
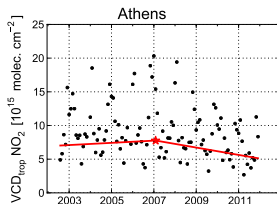


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→ But: hard to extend to multiple instruments ←



# Summary

- ▶ Long-term changes in tropospheric NO<sub>2</sub> from satellite
- ▶ Different instruments' spatial resolutions result in differences in the behavior of the four datasets
- ▶ Trend model using all available data
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- ▶ Thank you for your attention!!!